

# Lesson 10: Usemos múltiplos para encontrar fracciones equivalentes

### Standards Alignments

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| --- | --- |
| Addressing | 4.NF.A.1 |

### Teacher-facing Learning Goals

* Make sense of a way to generate equivalent fractions by using multiples of the numerator and denominator.

### Student-facing Learning Goals

* Conozcamos una forma de encontrar fracciones equivalentes sin usar diagramas.

### Lesson Purpose

The purpose of this lesson is for students to make sense of a way to identify and generate equivalent fractions by using multiples of the numerator and denominator.

Up until this point, students have used visual representations or other strategies to reason about and generate equivalent fractions. Along the way, they are likely to have noticed patterns in the numerator and denominator of equivalent fractions. While some students may have generalized and applied those observations intuitively, this is the first lesson in which students are prompted to reason numerically about the numbers in equivalent fractions.

Students notice that a fraction $\frac{a}{b}$ has the same location on the number line as a fraction $\frac{n×a}{n×b}$, so we can generate fractions that are equivalent to $\frac{a}{b}$ by multiplying both $a$ and $b$ by $n$. In other words, they can use multiples of $a$ and $b$ to generate fractions that are equivalent to $\frac{a}{b}$. Sample responses are shown in the form $\frac{5×2}{6×2}=\frac{10}{12}$ but students do not need to use this notation.

In an upcoming lesson, students will reason in the other direction: using factors that are common to $a$ and $b$ to write equivalent fractions. They will see that dividing $a$ and $b$ by the same factor $n$ gives a fraction equivalent to $\frac{a}{b}$.

### Access for:

### Students with Disabilities

* Action and Expression (Activity 2)

### English Learners

* MLR2 (Activity 1)

### Instructional Routines

Notice and Wonder (Warm-up)

### Lesson Timeline

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| --- | --- |
| Warm-up | 10 min |
| Activity 1 | 20 min |
| Activity 2 | 15 min |
| Lesson Synthesis | 10 min |
| Cool-down | 5 min |

### Teacher Reflection Question

To reason numerically we hope students begin to describe number relationships without visual representations. Did it seem that students were doing this in today’s lesson? Which diagrams are they still holding on to?

## Cool-down

(to be completed at the end of the lesson)

5min

Fracciones del mismo tamaño

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|  |  |
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### Student-facing Task Statement

1. Encuentra dos fracciones que sean equivalentes a $\frac{3}{8}$. Explica o muestra tu razonamiento.
2. Decide si cada una de las siguientes fracciones es equivalente a $\frac{9}{4}$.
	1. $\frac{10}{8}$
	2. $\frac{16}{10}$
	3. $\frac{18}{8}$
	4. $\frac{27}{12}$

### Student Responses

1. Sample response: $\frac{6}{16}$ and $\frac{9}{24}$. $\frac{3 × 2}{8 × 2}=\frac{6}{16}$ and $\frac{3 × 3}{8 × 3}=\frac{9}{24}$
	1. No
	2. No
	3. Yes
	4. Yes