

## **Lesson 17 Practice Problems**

1. The population of a city in 2010 is 50,000, and it grows by 5% each year after.

- a. Write a function f which models the population of the city t years after 2010.
- b. What is the population of the city in 2017?
- c. What will the population of the city be in 2020? What about in 2030?
- d. By what factor does the population grow between 2010 and 2020? What about between 2020 and 2030?

<ol> <li>A person charges \$100 to a credit card with a 24% nominal annual interest rate.</li> <li>Assuming no other charges or payments are made, find the balance on the card, in dollars, after 1 year if interest is calculated:</li> </ol>	a. annually
	b. every 6 months
	c. every 3 months
	d. monthly
	e. daily

- 3. A couple has \$5,000 to invest and has to choose between three investment options.
  - Option A:  $2\frac{1}{4}\%$  interest applied each quarter
  - ° Option B: 3% interest applied every 4 months
  - Option C:  $4\frac{1}{2}$ % interest applied twice each year

If they plan on no deposits and no withdrawals for 5 years, which option will give them the largest balance after 5 years? Use a mathematical model for each option to explain your choice.



- 4. Elena says that 6% interest applied semi-annually is the same as 1% interest applied every month: she reasons they are the same because they are both a 12% nominal annual interest rate.
  - a. Is Elena correct that these two situations both offer a 12% nominal annual interest rate?
  - b. Is Elena correct that the two situations pay the same amount of interest?
- 5. A bank pays 8% nominal annual interest, compounded at the end of each month. An account starts with \$600, and no further withdrawals or deposits are made.
  - a. What is the monthly interest rate?
  - b. Write an expression for the account balance, in dollars, after one year.
  - c. What is the effective annual interest rate?
  - d. Write an expression for the account balance, in dollars, after *t* years.
- 6. At the end of each year, 10% interest is charged on a \$500 loan. The interest applies to any unpaid balance on the loan, including previous interest.

Select **all** the expressions that represent the loan balance after two years if no payments are made.

A. 
$$500 + 2 \cdot (0.1) \cdot 500$$

- B. 500 (1.1) (1.1)
- $\mathsf{C.}\ 500 + (0.1) + (0.1)$
- D. 500  $\cdot$  (1.1)<sup>2</sup>
- $E.(500 + 50) \cdot (1.1)$

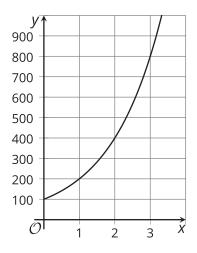
(From Unit 5, Lesson 15.)



7. Here is a graph of the function *f* given by  $f(x) = 100 \cdot 2^x$ .

Suppose *g* is the function given by  $g(x) = 50 \cdot (1.5)^x$ .

Will the graph of g meet the graph of f for any positive value of x? Explain how you know.



(From Unit 5, Lesson 12.)

8. Suppose *m* and *c* each represent the position number of a letter in the alphabet, but *m* represents the letters in the original message, and *c* represents the letters in a secret code.

The equation c = m + 7 is used to encode a message.

- a. Write an equation that can be used to decode the secret code into the original message.
- b. What does this code say: "AOPZ PZ AYPJRF!"?

(From Unit 4, Lesson 15.)